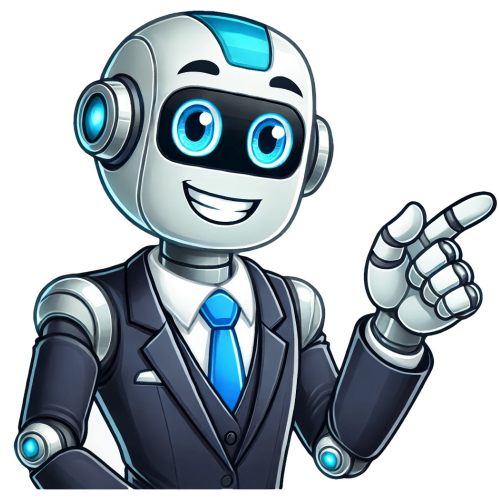


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When students struggle with multiplication facts, solving complicated problems (like for example finding common denominators to add fractions) becomes hard. When they use most of their working memory on simple calculations they have little mental space left for understanding new concepts. Students start learning the multiplication facts in grade 3 although multiplication as repeated addition first appears in grade 2. Skip counting by 2 and counting in 5s and 10s are the first steps. It is important that the students master the multiplication tables by grade 4 and be ready to dive into math topics like multi-digit multiplication, equivalent fractions, and division. Of course, before starting with the multiplication facts it is necessary that the students first fully learn and understand addition and subtraction facts. Parents and teachers often rush into drills to help children memorize the multiplication tables as quickly as possible. There is nothing wrong with memorization if it comes after learning and understanding. Automaticity that comes from endless repetition will not help in the long run. There is no need to rush into memorizing all the multiplication tables. Allow students to take their time and practice solving problems until they start memorizing without even realizing it. A great way to do that is by "playing" with the multiplication table. Here are some steps you can follow. 1. Check students' understanding Make sure the children understand the concept of multiplication well. Provide visuals to make facts concrete. Use hands-on manipulatives and ask them to draw pictures and form arrays by arranging a set of objects into rows and columns. Present the multiplication array table in this form and have them solve many problems by counting and adding. 2. Practice solving problems Once the children clearly understand and present the multiplication table with numbers. Have them solve problems with the help of the table. As they solve the problems they will start remembering some of the answers. At the beginning ask them to color the areas that they remember that the same rule applies here as with the table above. 3. Find Patterns on the table Ask Questions like: Why do some numbers repeat on the table? Find all the ways to make 12. Find all the ways to make 15 Count by 3, 4, 5, 6.... Look at each row and column and find patterns. Why do the numbers follow that pattern? You will be surprised by the number of patterns that students will find. These patterns will help them understand and remember. 4. Complete the missing numbers on the table. This is a great way to show students that they can use "easier" facts as stepping stones to the harder facts. What is 4x6? If 3x6 is 18 then I can add one more 6. 5. Square numbers Talk about these special numbers on the table. What makes them special? Color the area to see the squares. Students always remember the square numbers and they use them as stepping stones. 5. Play games Have the students play games using the multiplication table. Games like BLOCK IT! help the students get familiar with the table, find patterns and learn the multiplication facts. Give groups or pairs a table with some missing numbers and see which team will fill in the numbers first. Some friendly competition always motivates students. 6. Practice each table on its own Once students have had a lot of practice with the table you can start learning each table separately starting with the table of 2, 5, 10 which are the easier ones to remember. Make this a game that the child will enjoy and will want to repeat. This is a good time to ask the students to study each table and find patterns (if they haven't found them already). Understanding these patterns, or "tricks" as students like to call them, will help them figure out the answer fast instead of trying to remember it. Eventually, fluency will come naturally. Some examples in the table of 3 the digits of the products add up to 3,6,9 following this pattern. In the table of 5 the products alternate between products ending with 0 and products ending with 5. Why does that happen? Even numbers multiplied with 5 give half as many tens. Odd numbers multiplied by 5 give a product with 5 as the last digit. 7x5= (6x5)+5= 35 Students can relate the table of 4 to the table of 2. When you multiply a number x4 you can double it twice. All the products are even and it is like proceeding with 2 except starting with 4 and skipping one every time. The table of 9 seems to be the most difficult to remember but is actually one of the easiest. Teach strategies that will help students understand. We all know that there are huge advantages to having fluency with multiplication facts. However, I think we need to be very careful about how we guide students towards learning and understanding them. Multiplication facts are a very interesting chapter in the math curriculum that deserves to be given time and attention. Time for students to discover, solve and learn. Promoting memorization without meaning could cause problems and push students to dislike math. Here are some worksheets to practice the multiplication facts. Multiplication Facts - Missing entriesDownload Multiplication facts worksheet 1Download Multiplication facts worksheet 2Download Multiplication SquaresDownload Here are some free to print (and digital) games to play with students to practice multiplication tables. Block It! A great game for all students. The game board is the times table and the answers are right there! now with a digital form. The great escape. Practice factors and multiples. Maze Escape. Single-player challenge. Practice one table at a time. Mini multiplication facts games Now with a digital form as well! Thanks for visiting! Please like and subscribe for more giveaways and updates. Check out the rest of our free print to play games, task cards, worksheets, puzzles and more. free print to play and digital games task-cards puzzles Check out our best selling games, now back in stock and available at amazon.com and amazon.ca Subscribe to our YouTube channel for the latest videos, updates, and tips. We have learnt multiplication of numbers with 2-digit multiplier. Now, we will learn more. Let us know some facts about multiplication. When each set of numbers are equal we use multiplication to find out the result.The sign of multiplication is x.1. The result of multiplication is called product.eg. 2 x 3 = 6 -> (Product).In multiplication, the number being multiplied is called the multiplicand and the number by which it is being multiplied is called the multiplier. Example: The answer of the multiplication is called the product.2. The product of any number multiplied by a 'zero' is zero.Multiplying any number by 0 will always give 0. Example: 3 x 0 = 0 or 6 x 0 = 0Think: If each child gets 'zero' sweets, how many sweets will 4 children get?4 times 0 sweets or 4 x 0 = 03. Multiplying any number by 1 will always give that number itself.The product of any number multiplied by 'one' is equal to the number itself.Example:7 x 1 = 7 or 9 x 1 = 9Think - If every child gets '1' sweet, how many sweets are needed for 8 children?1 child x 1 sweet=1 children -> 8 times 1 sweet=8 1 sweet = 8 sweetsProduct is equal to the number itself.4. In a multiplication operation, the product can be equal to the numbers being multiplied or greater than, but never the smaller, except when one of the number is zero. Example: 5. For every multiplication fact there are two division facts. Example: Thus, the product divided by the multiplicand equals the multiplier and the product divided by the multiplier equals the multiplicand.6. Product is always same even if the order of the numbers changes while multiplying.In multiplication operation, the change in the order of the numbers being multiplied does not change the product.Example:6 x 3 = 18 is same as 3 x 6 = 189 x 8 = 8 x 9 = 7212 x 5 = 5 x 12 = 60Note:The division fact is used for finding the missing multiplicand or multiplier. Terms in Multiplication: 5 x 7 = 35Here, 5 is called the multiplicand, that is, number of objects in each set. 7 is called the multiplier which tells us how many times a set occurs. 35 is called the product which gives the total number of objects. In multiplication, the numbers which are multiplied together to give the product are called factors of the product. Consider the product 3 x 7 = 21 Here, 3 and 7 are the factors and 21 is the product. Properties of Multiplication: Property I: The product of a number and 0 is always 0. Example: 345 x 0 = 0 55 x 0 = 0 Property II: The product of a number and 1 is always the number itself. Example: 92 x 1 = 92 1456 x 1 = 1456Property III: The product of two numbers in any order will always be the same. Example: Property IV: The product of three numbers remains the same even when the grouping of the numbers is changed. Example: (4 x 9) x 5 = 36 x 5 = 180; (49 x 5) x 4 = 45 x 180 = 8100 (4 x 9) x 5 = 36 x 5 = 180; (49 x 5) x 4 = 45 x 180 = 8100 (vii) 7 x 8 = (8 x 7) x 3 = (xi) 8 x 10 = (xiii) 4 x 5 = (xiv) 9 x 10 = (xv) 8 x 3 = (xvi) 2 x 5 = (xvii) 7 x 3 = (xviii) 6 x 4 = (xix) 8 x 8 = (xx) 10 x 2 = (xxi) 5 x 2 = (xxii) 2 x 2 = (xxiii) 2 x 3 = 18(ii) x 2 = 18(ii) x 2 = 14(iv) x 2 = 45(v) 7 x 3 = (vi) 4 x 20 3rd Grade Math LessonsFrom Facts about Multiplication to HOME PAGE Didn't find what you were looking for? Or want to know more information about Math Only Math. Use this Google Search to find what you need. Share this page: What's this? At its core, multiplication is a form of repeated addition. It is a way to efficiently calculate the total of adding a number to itself a certain number of times. For example, 3 x 4 is equivalent to adding 3 four times: 3 + 3 + 3 + 3 = 12. The Commutative Property of Multiplication The commutative property of multiplication states that changing the order of the factors does not change the product. In other words, (a x b) x c is equal to a x (b x c). For example, (2 x 3) x 4 is the same as 2 x (3 x 4), and both equal 24. Read also: 10 Fun Facts About OSHA The Distributive Property of Multiplication The distributive property of multiplication allows us to distribute a factor to each term inside parentheses. It states that a x (b + c) is equal to a x b + a x c. For example, 2 x (3 + 4), which simplifies to 14. Zero and One in Multiplication Multiplying any number by zero results in zero. For example, 5 x 0 = 0. On the other hand, multiplying any number by one leaves the number unchanged. For example, 5 x 1 = 5. The Identity Property of Multiplication The identity property of multiplication states that any number multiplied by one equals the original number. It is like a "magic" property of multiplication. For example, 5 x 1 = 5 and 1 x 5 = 5. Multiplying by Powers of Ten When multiplying a number by a power of ten, you can simply move the decimal point to the right by the number of zeros in the power of ten. For example, 5 x 10 = 50, and 5 x 100 = 500. Image from Generation GeniusMultiplying by Ten and Its Multiples Multiplying a number by ten and its multiples is easy. To multiply a number by ten, simply add a zero to the end of the number. For example, 5 x 10 = 50, and 5 x 100 = 500. Similarly, to multiply a number by multiples of ten, add the appropriate number of zeros at the end. For example, 5 x 1000 = 5000. Multiplying Two-Digit Numbers When multiplying two-digit numbers, you can use the method of long multiplication. Write the numbers vertically, multiply each digit in the bottom number by each digit in the top number, and add the results together. For example, to multiply 23 by 47, you would multiply 3 by 7, then 3 by 4, then 20 by 7, and finally 20 by 4, and add the results to get the final product of 1081. Read also: 50 Facts About Dragon Memorizing Multiplication Tables To become proficient in multiplication, it is essential to memorize the multiplication tables from 1 to 10 (or even up to 12). By memorizing these tables, you can quickly recall the product of any two numbers within that range, making mental calculations faster and more efficient. Conclusion Mastering multiplication facts is a crucial skill that forms the foundation for mathematical proficiency. Understanding the basic principles of multiplication, such as repeated addition, properties, and shortcuts, can make multiplication more accessible and enjoyable. By practicing regularly and exploring various strategies, you can enhance your multiplication skills and become more confident in your mathematical abilities. So, let's embrace the world of multiplication and unlock its fascinating potential! Frequently Asked Questions (FAQs) Why is it important to learn multiplication facts? Learning multiplication facts is important because multiplication is used in various aspects of everyday life, from calculating prices at the grocery store to solving complex mathematical problems. It is a fundamental skill that builds the foundation for more advanced mathematical concepts. How can I improve my multiplication skills? Practice is key to improving your multiplication skills. Reviewing multiplication tables, solving multiplication problems, and using online resources, such as multiplication games and apps, can help you strengthen your skills and increase your speed and accuracy. Are there any tricks or strategies to help with multiplication? Yes, several tricks and strategies can help with multiplication. Some of these include using patterns, breaking down larger numbers into smaller, more manageable parts, using the distributive property, and using mental math techniques like rounding or doubling. Can I use calculators for multiplication? A4: While calculators can be helpful for complex multiplication calculations, it is still important to develop mental math skills and be able to perform basic multiplication without relying solely on calculators. Mental math allows for quicker calculations and is useful in everyday situations where a calculator may not be readily available. How can I make learning multiplication facts more enjoyable? Making learning multiplication facts more enjoyable can involve incorporating games, activities, and visual aids. Using flashcards, playing multiplication bingo or board games, and engaging in interactive online learning resources can make the learning process fun and engaging. For young learners, learning multiplication facts doesn't have to be a frustrating process. Students may learn this crucial skill with the appropriate technique, which will enable them to quickly understand more difficult subjects in the future. An important component of early mathematics is learning multiplication facts. Long division, determining a fraction's common denominator, and many other arithmetic tasks would be more challenging and time-consuming without having a solid grasp of the facts. As a result, one of the first arithmetic concepts taught is how to acquire and memorize these facts. Multiplication facts are an interesting way to calculate the product between two values. It is a way of calculating the product of two or more numbers in mathematics. It is a simple mathematical operation that we employ daily. Multiplication tables are the most common and popular application. Multiplication of two numbers is considered to be the repeated addition of one number concerning another in mathematics. Whole numbers, natural numbers, integers, fractions, and other types of numbers can be used. When a is multiplied by b, it signifies that b is multiplied by itself 'a' times. Aside from addition, subtraction, and division, multiplication (denoted by x) is a mathematical operation. In primary school, students learn the four basic arithmetic operations on their own. Multiplication facts is an arithmetic operation that is used to simplify various numeric expressions. The arithmetic process of calculating the product of two or more numeric values is known as Multiplication Facts. Multiplication of two numbers, such as 'a' and 'b', is expressed as 'a' multiplied by 'b'. In other words, it can be defined as the process of repeatedly adding a number to another number in mathematics. It gives the result as the multiplied product of that number. When you multiply 5 by 3, for example, you are adding 3 to itself five times, resulting in 3 + 3 + 3 + 3 + 3 = 15. It is a straightforward method for any individual to multiply numbers and calculate multiplication products. Arithmetic operations such as the simplification of polynomials or algebraic equations contain the arithmetic operator of Multiplication (x). There can be countless examples of the Multiplication of numbers. The following are some of them for a better understanding. Multiply 2 and 4 = 2 x 4 = 8 Multiply 3 by 3 = 3 x 3 = 9 Multiplication of 6 by 2 = 6 x 2 = 12 Multiply 7 by 9 = 7 x 9 = 63 Multiplication of 7 by 7 = 7 x 7 = 49 The product of 1 x 1 = 1 Have you wondered which symbol comes in between the two values that are supposed to be multiplied? The most common sign that denotes the Multiplication of two values is x. This particular sign helps a person understand the arithmetic operation used in the given numeric expression. It means if you see an expression like 4 x 3, it is easy to understand that this particular numeric value is to be multiplied. For example, 4 x 3, 6 x 2, 5 x 5, and so on. Even though the cross sign (x) is a popular method of devoting Multiplication, a dot (.) is also used sometimes. For example, (4) . (3) = 12, (3) . (5) = 15, and so on. Although Multiplication is a common numerical operation, it has a specific formula. The formula for Multiplication is given: Multiplier x Multiplicand = Product. For example: In the expression of 2 x 3 = 6 2 is multiplier, 3 is multiplicand 6 is the product of multiplier and multiplicand Some facts regarding the formula of Multiplication Facts are: The total number of objects in a given set is called the multiplicand. The multiplier denotes the total number of equal groups The result of an arithmetic operation between a multiplier and a multiplicand is known as the product Multiplication Facts are an effective method for understanding various numeric formulas. Nevertheless, this particular operation includes multiple properties that help in the simplification of arithmetic operations. Its properties are as follows: Distributive property Commutative property Zero property Closure property Associative property Identity property One-digit integers may be multiplied easily using multiplication tables, but bigger numbers are split into columns using their appropriate place values. One should start from ones, tens, hundreds, and thousands and move on to the bigger numbers. Multiplication difficulties can be divided into two categories: Multiplication without regrouping Multiplication with regrouping When multiplying two integers without regrouping, one is dealing with smaller numbers that do not require a carryover to its next higher place value. It is the entry-level method that can assist a student in grasping the fundamentals of Multiplication before moving on to more advanced difficulties like regrouping. Let us look at an example to help you comprehend what the method is all about. For example: if 2015 is multiplied by 3, then the steps for the solution are: First, multiply the digit in one place, 3 x 5 = 15 The value 15 is written by writing down 5 in the product space, and 1 is carried over to the next digit in the tens place. Then, multiply 3 with the value in the tens place, 3 x 1 + 1 (carried value) = 4 After this, multiply the digit 2 by the value given in the hundreds place, 2 x 0 = 0 Finally, multiply 3 (in the thousands place) with 2, 2 x 3 = 6 The answer is: 6045 The product is two digits when multiplying more than two numeric values with regrouping. One must carry over to the next digit place of higher value in this type of Multiplication. Let us consider an example to understand and comprehend what Multiplication with regrouping is about. For example, multiply 2423 by 5 The steps for the solution are: Always start with the one's place. The first step should be to multiply 3 x 5 = 15 As the product of 3 is 5 and 15, 1 is carried to the digit in the tens place. The next step is to multiply 2 by 5 = 10 + 1 (carried value) = 11 The same happens in the step, i.e., 1 is carried to hundreds of places. Now, multiply 4 by 5 and add the carried value of the previous digit 4 x 5 + 1 = 21 From the value of 21, 2 is carried to the number in the thousands place. Finally, multiply 5 by 2 and add the carried value is 10 + 2 = 12. How many groups of two apples each. Ans. 6 (the number of groups is 6) 8303. How many groups can be made of 249 carrots, if there shot be 12 carrots in a group?Answer: 20Car 2 Math Multiplication WorksheetsBelow given is the worksheet maths for class 2, which helps the students to evaluate their learning of the multiplication facts.(a) \$7 times 11\$ (Ans: 77)(b) \$7 times 2\$ (Ans: 14)(c) \$8 times 9\$ (Ans: 72)(d) \$9 times 5\$ (Ans: 45)(e) \$7 times 10\$ (Ans: 70)(f) \$6 times 12\$ (Ans: 72)(g) \$10 times 30\$ (Ans: 300)(h) \$4 times 11\$ (Ans: 44)(i) \$2 times 25\$ (Ans: 50)(j) \$3 times 15\$ (Ans: 45)SummaryIn this article, we learned about multiplication facts and some basic facts that are needed for multiplying two numbers such as the repeated addition method where we make groups of the given number and then add them to get the fact. We also learned about how to write and learn multiplication facts. Some unsolved maths sheets for class 2 are also given. Worksheet maths for class 2 serves as a useful tool in evaluating the progress of students. \$8 + 8 = 7\$ \$8 + 8 + 8 = 7\$ \$8 + 8 + 8 + 8 + 8 + 8 + 8 = 7\$ Don't you think it's too tedious to add 8 so many times. There is an easy and better way to do this. Multiplication is one of the four basic arithmetic operations, alongside addition, subtraction, and division. In math, multiply means the repeated addition of groups of equal sizes. To understand better, let us take a multiplication example of the ice creams. Each group has ice creams, and there are two such groups. Total ice creams are 3 + 3 = 6\$. However, you have added two groups of 3 ice creams. Therefore, you have multiplied three ice creams by two. You may also write it as \$2 times 3 = 6\$. As we can see, 3 + 3 = 6 is the same as \$2 times 3\$.When we multiply two numbers, the answer is called product. The number of objects in each group is called multiplicand, and the number of such equal groups is called the multiplier. In our case, \$3\$ is the multiplicand, \$2\$ is the multiplier and \$6\$ is the product. There are many ways to read an equation that involves multiplication. For example, \$2 times 3 = 6\$. It can be read as follows: Two multiplied by three is six. Two times three are six. Multiplication is represented by the signs cross (x), asterisk (*), or dot (.) While writing in your notebooks, you are most likely to use the cross. The asterisk and dot are used in computer languages and algebra (higher mathematics). For example: \$6 times 5 = 30\$ \$7 * 8 = 56\$ \$3 times 4 = 20\$ More Worksheets In order to multiply the integers, we need to see the sign of the integers. Multiply two positive integers: The product of the two positive integers is always a positive integer. For example: \$5 times 6 = 30\$ Multiply one positive and one negative integer For example: \$(-)\$ \$5 times 6 = (-)\$ \$30\$ Multiply two negative integers The product of two negative integers is always a positive integer. For example: \$(-)\$ \$5 times (-)\$ \$6 = 30\$ In order to multiply the fractions, the numerators and denominators are multiplied together such that: \$frac{a}{b} times frac{c}{d} = frac{a times c}{b times d}\$ For example: Multiply \$frac{1}{2}\$ times \$frac{3}{4}\$ \$= frac{1 times 3}{2 times 4} = frac{3}{8}\$ Multiplying the decimals is the same as multiplying the integers. For example: Multiply \$13.25\$ and \$3.5\$. Let us multiply \$13.25\$ and \$3.5\$ by removing the decimals here and consider them whole numbers. Hence, \$132 times 35 = 4620\$ We put the decimal point back, then the product of the two decimal numbers will have decimal up to two positions from right to left, such that \$13.2 times 3.5 = 46.20\$ In math, powers define a base raised to the exponent. For example: \$3^2\$, ((-5))^4\$. When the base is the same but power is different Let the two expressions be \$x^m\$ and \$x^n\$. Here, the base is "x". When the terms with the same base are multiplied, the powers get added, i.e., \$x^m times x^n = x^{(m + n)}\$ For example: \$3^2 times 3^5 = 3^{(2 + 5)} = 3^7\$ When the base is different but the exponent is the same Let the two expressions be \$x^m\$ and \$y^m\$. Here, the power is "m". When the terms with the same exponents are multiplied, the bases are multiplied first and then we apply the exponent, i.e., \$x^m times y^m = (xy)^m\$ For example: \$3^2 times 2^2 = (3 times 2)^2 = 144\$ When the bases and powers are different Let the two expressions be \$x\$ and \$y\$. Here, the bases are \$x\$ and \$y\$. The powers are \$m\$ and \$n\$. When we multiply these expressions, each expression is evaluated separately and then multiplied. It can be written mathematically as \$x^m times y^n = (x^m times y^n)^m\$ For example: \$3^3 times 2^2 times 4^3 = 9 times 64 = 576\$ Just like addition, multiplication also follows specific properties, which are as follows: Commutative Property This property states that when we multiply two numbers, the order will not cause any change in the product. Let us consider \$2 times 3 = 6\$, for example. If we reverse the order, i.e., compute \$3 times 2\$, the answer will still be \$6\$. Associative Property: This property states that if we multiply three numbers or more, one after the other, the order does not matter. For example: if we have to \$22, 3\$ and \$4\$: \$(2 times 3) times 4 = 24\$ \$2 times (3 times 4) = 24\$ If you jumble the order and multiply, the result will still not change. \$3 times (2 times 4) = 24\$ Distributive Property: This property states that if we multiply a number by the sum of two numbers, the result will be equal to the sum of products you obtain by multiplying that number by those two numbers individually. For example, \$3 times \$8 = \$24. Now, \$3 times 8 = 3 times (6 + 2) = 24\$. Now, \$3 times 6 = 18\$. Also, \$3 times 2 = 6\$. \$18 + 6 = 24 = 3 times 8\$. Therefore, distributive property holds true. Here are some tips that will come in handy while multiplying: Memorizing tables: Multiplication is all a game of tables. So, if you have tables at your fingertips, you will find little easy to multiply. Making good use of the properties: If you are thorough with the properties of multiplication, you will be able to deconstruct complex problems into simpler ones. For example: \$3 times 13 = 3 times (10 + 3) = (3 times 10) + (3 times 3)\$ (Distributive property) This also helps in deriving new facts from the known facts. For example: If you know \$2 times 9\$ is \$18\$, using the commutative property of multiplication, you also know that \$9 times 2\$ is also \$18\$. If you know \$2 times 10\$ is \$20\$ and \$2 times 4\$ is \$8\$, using the distributive property of multiplication, you also know that \$2 times 14\$ is \$28\$. If you multiply any number by \$1\$, the answer will be the number itself. One is called the identity element under multiplication. If you multiply any number by zero, the result is always zero. Multiplication is not just an arithmetic tool. It is a life skill that students must master at a very early age to solve real-life problems. We hope this helped you gain a better understanding of the subject. To read more such informative articles on other concepts, do visit our website. We at SplashLearn are on a mission to make learning fun and interactive for all students. Multiply \$4 times 2\$ using a number line. \$4 x 2\$ means \$4\$ jumps of \$2\$ each. \$2\$ jumps of \$4\$ which is \$8\$ in both cases. Compute the problem: \$2 times 16\$, \$2 times 16 = 2 times (10 + 6) = (2 times 10) + (2 times 6) = 20 + 12 = 32\$. \$3 times 25 = 25 times 3\$. Which property is this? The property given above is the commutative property of multiplication i.e. \$a times b = b times a\$. IV. What should be \$2 times 6 = 30\$? Multiply two positive and one negative integer For example: \$(-)\$ \$5 times 6 = (-)\$ \$30\$ Multiply two negative integers The product of two negative integers is always a positive integer. 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When the terms with the same exponents are multiplied, the bases are multiplied first and then we apply the exponent, i.e., \$x^m times y^m = (xy)^m\$ For example: \$3^2 times 2^2 = (3 times 2)^2 = 144\$ When the bases and powers are different Let the two expressions be \$x\$ and \$y\$. Here, the bases are \$x\$ and \$y\$. The powers are \$m\$ and \$n\$. When we multiply these expressions, each expression is evaluated separately and then multiplied. It can be written mathematically as \$x^m times y^n = (x^m times y^n)^m\$ For example: \$3^3 times 2^2 times 4^3 = 9 times 64 = 576\$ Just like addition, multiplication also follows specific properties, which are as follows: Commutative Property This property states that when we multiply two numbers, the order will not cause any change in the product. Let us consider \$2 times 3 = 6\$, for example. If we reverse the order, i.e., compute \$3 times 2\$, the answer will still be \$6\$. 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