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Imagine a world where there are no electric lights, no trains, no telephones, and no personal computers. It was life before the discovery of electromagnetic induction as a result of the experiments of Michael Faraday and Joseph Henry. In this chapter, we will study the experiments of electromagnetic induction and their
 applications. The Experiments of Faraday and Henry The figure shows a coil C1 connected to a galvanometer G. When the presence of electric current in the coil. The galvanometer does not show any deflection when the magnet is held
 stationary. When the magnet is pulled away from the coil, the galvanometer shows deflection in the opposite to that observed with the North-pole for
 similar movements. Further, the deflection is found to be larger when the magnet is pushed towards or pulled away from the coil C1 is moved towards or away from the magnet, the same effects are observed. It shows that it is the relative motion between the magnet and the coil that is
  responsible for the generation of electric current in the coil. Recommended Books Read also: Alternating Current Class 12 Physics Notes Chapter 7 Magnetic flux, magnetic flux, magnetic flux, magnetic flux, magnetic flux, magnetic flux is proportional to the number of magnetic flux is proportional to the nu
  \hgap = \sqrt{B} \le BA\cos \theta \ BA\cos \theta
  magnetic flux through the loop." `\epsilon=\frac{-d\phi}{dt}` In case of a coil of N turns, induced emf `\epsilon=-N\frac{d\phi}{dt}` (ii) Second Law (Lenz's Law)According to this law, the induced current is in such a direction, so as to oppose its cause. i.e. induced current opposes the change in flux. Read also: General Principles and Processes of
  Isolation of Elements Class 12 Chemistry Notes Chapter 6 Lenzs Law and Conservation of Energy Lenz's law is in accordance with the law of conservation offered by the induced current in changing the flux. The work doneappears as electrical
 energy in the loop. Induced Electric Field An electric field is induced in any region of space in which a magnetic field is changing with time. The induced electric field are at right angles to each other. Consider a particle of charge q0 moving around the ring in a circular path. The work done by the induced electric field in one
 revolution is W = q0, where is the induced emf. Also work done `W=\left(dl\right)`` W=q_{0}\left(dl\right)`` W
 Physics Chapter 6 Electromagnetic Induction Eddy Currents are called eddy currents are undesirable since they heat up the core and dissipate electrical energy in the form of heat. Eddy currents are
 minimized by using laminations of metal to make a metal core. This arrangement reduces the strength of the eddy currents are activated, the
 eddy currents induced in the rails oppose the motion of the train. Electromagnetic damping: Certain galvanometers have a fixed core made of non-magnetic metallicmaterial. When the coil oscillates, the eddy currents generated in the core oppose the motion and bringthe coil to rest quickly. Induction furnace: Induction furnace can be used to produce
 high temperatures. A high-frequency alternating current is passed througha coil that surrounds the metals to be melted. The eddy currents generated in the electric power meter rotates due to the eddy currents are induced in
 the disc by magnetic fields produced by sinusoidally varying currents in a coil. Self Inductance Self-inductance is the property of a coil, by which an induced emf is developed in itself due to a change in the strength of the current flowing through the coil itself. Let a current 'i' flows through the inductor. Due to this current, a flux is linked with it such
current 'i' be flowing through an inductor of inductance L. As the current increase a rate `V_{AB}=L\frac{di}{dt}``Power=Vi``\frac{dW}{dt}=(L\frac{di}{dt})i``dW=Lidi``W=\frac{di}{dt})i``dW=Lidi``W=\frac{di}{dt})i``dW=Lidi``W=\frac{di}{dt})i``dW=Lidi``W=\frac{di}{dt}
 another coil is called mutual induction. When a current i flows through one of the coils, a flux is linked with another coil such that `\phi\propto i` \phi=Mi` The constant M is called the coefficient of mutual inductance between the coils. `\epsilon=\frac{-d\phi}{dt}` \....[`\phi=Mi`] SI unit of mutual inductance is henry (H).
 AC Generator An ac generator converts mechanical energy into electrical energy into electrical energy into electrical energy into electrical energy. It consists of a coil mounted on a rotor shaft. The axis of rotation of the coil (called thearmature) is mechanically rotated in the uniform magnetic field by some external means. The rotation of the coil (called thearmature) is mechanically rotated in the uniform magnetic field by some external means. The rotation of the coil (called thearmature) is mechanically rotated in the uniform magnetic field by some external means.
 the magnetic flux through it to change, so an emf is induced in the coil are connected to an external circuit by means of slip rings and brushes. When the area vector A of the coil at any instant t is = t. As a result, the effective area
of the coil exposed to the magnetic field lines changes with time, and the flux at any time t is '\phi {B}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\frac{d\phi {B}}=BA cos\ from Faradays law, the induced emf for the rotating coil of N turns is, then, '\epsilon=-N\
is \epsilon=NBA\omega sin\omega sin\omega t` If we denote NBA as 0, \epsilon=\epsilon_{0}sin\omega t` The direction of the current is called alternating current (ac). Summary Electricity and magnetism are interrelated. Scientists Oersted and ampere demonstrated experimentally that moving charges
 (currents)produce a magnetic field. In a closed circuit, electric currents are induced so as to oppose the changing magnetic flux. Lenzs law is in accordance with the law of conservation of energy. The motional emf can be discussed independently from Faradays law by using Lorentz forceon moving charges. Moving charges in a static field and static
 charges in a time-varying field seem to be the symmetric situation for Faradays law. The motion of a copper plate is damped when it is allowed to oscillate between the magnetic pole pieces, this is because eddy current losses can be minimized by having slot cuts in the bulk of the conductor, and the conductor is allowed to oscillate between the magnetic pole pieces, this is because eddy current losses can be minimized by having slot cuts in the bulk of the conductor, and the conductor is allowed to oscillate between the magnetic pole pieces, this is because eddy current losses can be minimized by having slot cuts in the bulk of the conductor.
 therebycutting the eddy current loops. The magnetic potential energy of the inductor at any instant depends upon the strength of the current is changing. Magnetic flux linkage through a surface is proportional to the number of field lines passingthrough
it. The induced emf is equal to the negative of the time rate of change of magnetic flux. The self-inductance is numerically equal to the emf induced across the ends of the coilwhen the rate of change of current is 1 A/s. An induced charge is
 numerically equal to the change in magnetic flux is a scalar quantity as it is the resistance of two coils is numerically equal to emf induced across one coil when the rate of change of current in the other coil is 1 A/s. Read also Mutual
 inductance is the main operating principle of generators, motors and transformers. Any electrical device having components that tend to interact with another magnetic field also follows the same principle. The interaction is usually brought about by a mutual induction where the current flowing in one coil generates a voltage in a secondary
 coil.Download Complete Chapter Notes of Electromagnetic Induction Download NowTable of Contents What Is Mutual Inductance?When two coils are brought in proximity to each other, the magnetic field in one of the coils tends to link with the other. This further leads to the generation of voltage in the second coil. This property of a coil which
  affects or changes the current and voltage in a secondary coil is called mutual inductance. Changing I1 produces changing magnetic flux in coil 2.In the first coil of N1 turns, when a current I1 passes through it, magnetic flux in coil 2.In the first coil of N1 turns, when a current I1 passes through coil 2.\(\begin{array}
  {|}{{\phi }_{21}}\to\ \text{magnetic flux in one turn of coil 2 due to current}\ I_1.\end{array}{|}{{\varepsilon }_{ind}}=-\frac{d\phi }{dt}\end{array} \) [According to Faradays law] \(\begin{array}{|}{{\varepsilon }_{21}}=-\frac{d\phi }{dt}\end{array} \) [According to Faradays law] \(\begin{array}{|}{{\varepsilon }_{21}}=-\fra
  \{N\} \{2\}\} frac\{d\{\{\}\}\} array\{l\}\{\{N\} \{2\}\}\} frac\{d\}\{\{\}\}\} frac\{d\}\{\{\}\} frac\{d\}\{\{\}\}\} frac\{d\}\{\{\}\} frac\{d\}\{\{\}\}\} frac\{d\}\{\{\}\} frac\{d\}\{\{\}\}\} frac\{d\}\{\{\}\} frac\{d\}\{\{d\}\} frac\{d\}\{\{d\}\} frac
  \{l\}1H=\frac{1}{rac\{1(\text{Tesla}).1\leq \{m\}^{2}\}}{dt}\leq array\} \} \{l\}\{\{N\}_{1}\}\{\{N\}_{1}\}\{\{N\}_{1}\}\}
  \{12\}\ \propto \{I\} \
  between two coils as,\(\begin{array}{|}{{\text{M}}_{12}}\text{=}\,{{\text{M}}_{21}}\equiv \text{M}}_{21}}\equiv \text{M}}_{12}}\text{=}\,{{\text{M}}_{21}}\equiv \text{M}}_{12}}\text{=}\,{{\text{M}}_{21}}\equiv \text{M}}_{12}}\text{=}\,
  \{\{t\}_{1}\}\
  induction,\(\begin{array}{1}{{\varepsilon}} = \frac{d\phi}{dt}.(7)\end{array}{1}{{\varepsilon}} = \frac{d\phi}{dt}.(7)\en
  \{\{\text{N}_{1}\}\} = \{M\}_{1}\}  (begin \{array\} \}  (df \{I\}_{2}\}  (df \{I\}_{2}\} 
  geometrical factor of the two coils, such as the number of turns and radii of two coils and on the properties of a material medium, such as the magnetic Induction How to Find Mutual Inductance (M).(i) Assume current in one of the coils (say
  I1 in coil 1)(ii) Deduce the expression for the magnetic field in the neighbouring coil (2) due to I1.(iii) Write the flux linkage equation.\(\begin{array}{1}{{N}_{2}}\left( {{\phi }_{2}}\left( {{\phi }_{2
  \right)...(10)\end{array} \)(v) Compare the above two equations and find mutual inductance, M.Mutual inductance Problems(1) Mutual inductance Problems(1) Mu
 R1>> R2. The above-mentioned calculation is the same for the following case as well. Mutual inductance of a Coaxial Solenoid S1 has
  radius r1 and N1 turns. Both the solenoids are of equal length. When there is a current I2 in the solenoid S2, the magnetic induction due to I2 is given by, \(\begin{array}{\lfl_{2}}={\mu}_{0}}{{\lfl_{2}}}={\{\mu}_{2}}, \end{array}\) The corresponding flux linkage with solenoid S1 is, \(\begin{array}{\lfl_{2}}={\{\mu}_{2}}, \end{array}\)
  \{l\}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_{\{N\}_{\{1\}}}_
  assumed to be confined only inside the solenoid S1. Also, the solenoids are very long compared to their radii, and the flux linkage in S2 is\(\begin{array}{\1}{{N} {2}}{{Nhi } {2}}{{Nhi
   \{\{N\}_{1}\}\{l\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{\{I\}_{1}\}..,\{
                             a circular coil of N2 turns that is wound at the centre of the solenoid. Solution:(i) Assume current I1 in the solenoid. The magnetic field B at its centre is given by\(\begin{array}{1}}{{1}}{{1}}\end{array}\)(ii) Magnetic flux linked with the small coil of area A is due to magnetic field B
  then, (\begin{array} {l}_{N}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_{2}}_{\{\phi}_
  coil.Solved Problems: 1. Two circular coils can be arranged in any of the three situations (A)(d) Same in all situations Solution: The mutual inductance will be maximum in the situation (B)(c) maximum in the situation (C)(b) maximum in the situation (B)(c) maximum in the situation (B)(
 through the other. In such a situation, the magnetic flux linked will be maximum. Therefore, in situation A, both coils are parallel to each other, and their mutual inductance is 5 mH. If a current (50 A) sin 500 t is passed in
 one of the coils, then find the peak value of induced emf in the secondary coil.(a) 50V (b) 500V (c) 125V (d) 250VSolution:Given:\(\begin{array}{1}=-\left(5\times {{10}^{-3}} \right)\frac{d}{dt}\left(5)\times {{10}^{-3}} \right)\frac{d}{dt}\right(5)\times {{10}^{-3}} \right(5)\times {{10}^{-3}} \right(5)\times
50\sin 500t \right\\end{array} \) \(\begin{array}{1}=-5\times {\10}^{-3}}\times 50\cos 500t\times 50\t
emf in the coil. We know that the mutual inductance is directly proportional to the permeability of the medium surrounding the coils. When the mutual inductance between the coils also increases. As we know that acceleration due to gravity does not depend on the mass of
 the falling objects, the glass ball will reach the ground first. Because, being an insulator, glass is not affected by the earths magnetic field will affect the fall of the ball. Thus, it falls slower. Mutual inductance between two coils is
 affected by the following: Area of cross-section Number of turns in each coils Permeability of medium between the two coils Length (in the case of the solenoid) When the separation between the two coils Permeability of medium between the two coils I coils is increased, the magnetic flux linked with the secondary coil decreases. Therefore, the mutual inductance of the pair of coils
  decreases. When there is an increase in the number of turns of each coil, mutual inductance increases. Mutual inductance can be used in transformers, generators and electric motors. Put your understanding of this concept to test by answering a few MCQs. Click Start Quiz to begin! Select the correct answer and click on the Finish button Check your
 score and answers at the end of the quiz Visit BYJUS for all JEE related queries and study materials 0 out of 0 are correct 0 out of 0 are wrong 0 out of 0 are wrong 0 out of 0 are unattempted View Quiz Answers and Analysis We know that electric currents can be induced in closed coils when subjected to varying magnetic fields. This phenomenon of inducing current or
emf in a coil by changing magnetic fields is called the electromagnetic induction or EMI. We also know that if a current flows through any coil, whether the current is increasing, or decreasing, the coil opposes the change in the current strength passing through it. This means supplying varying current is necessary. So, if we use two coils in place of
 one, what type of phenomenon will occur here? Well, mutual inductance takes place between these two coils. About the Concept of Mutual Inductance to a galvanometer. As soon as a varying current is
 generated in coil P, automatically current induces in the coil s.P coil is known as the primary coil. So What Happens Next? Well, the varying current in the P coil generates varying magnetic field lines that pass through both the coils. This means increasing the current; the magnetic field lines that pass through both the coil s.P coil is known as the primary coil.
  lines increase because of which the flux at the secondary coil increases. When this flux increases, an induced EMF is generated in the coil because of which an induced current starts flowing in it. Therefore, the galvanometer shows a deflection. To find the direction of the magnetic field lines, we curl our fingers of our right hand around the wire, the
  direction in which the thumb points, is the direction of the magnetic field. We can see that the magnetic field lines are in the direction of the current. If these lines change (because of which an induced current generates in it. Mutual Inductance Derivation We
 know that on increasing the current in the primary coil, the flux in the secondary coil increases. I.e., (2)T I(Image will be uploaded Soon)We are not sure of the number of turns in the S coil. So, to calculate the total flux, we have taken the subscript T in (2)T. On removing the sign of proportionality constant, we get, (2)T = MIWhere M is the constant of
 proportionality and is called the coefficient of mutual inductance of two coils. The unit of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils is equal to the amount of flux proportionality and is called the coefficient of mutual inductance of two coils are called the coefficient of mutual inductance of two coils are called the coefficient of mutual inductance of two coils are called the coefficient of mutual inductance of two coils are called the coefficient of mutual inductance of two coils.
  that generates in one coil because of the current flow in the primary coil.M doesnt depend on (2)T, and I because it is a constant term. However, it depends upon the following factors: Geometry (shape) of the coils, Their separation (or the radius of the coils), The orientation (coils kept parallel or inclined at some angle), and The medium in which we keep
 these coils. We know that an EMF is induced in the secondary coil, i.e., (2)T depends on the current (I1) in the P coil)e2 = - M dI1/dtIf dI1/dt = 1, then M = - e2EMF in the secondary coil generates only when there is a change in the current I1. The
  coefficient of mutual inductance of two coils is equal to the induced emf in the S coil when the rate of change of current in the P coil is unity. Important Formulas in Mutual Induction 1. Coefficient of coupling (K)The coefficient of coupling of two coils is a measure of the coupling between the two cells. It is given by K = \[ \frac{M}\]
   \{ x \in L_{1}L_{2} \} \ Where L1 and L2 are coefficients of the self-inductance of the two coils in the opposite directions). 2 Hen their K = 1, then we can show that L = L1 + L2 - 2M (When current in two coils in the opposite directions). 2
  Mutual Inductance of Two Long Coaxial Solenoids (S1 and S2)M = \{\mbox{lphu}_{2}A\}} {1}\]Where 0 = Magnetic constant,N1 and N2 = Total number of turns in a solenoid. Application of Mutual Inductance Mutual in
 is the basic operating principle for the following: Transformers Motors Generators What is Inductance? In the field of electronics and electromagnetic, inductance is a key notion that describes a conductor by the current flow. The field strength is determined by the size
 of the current and changes as the current changes. Types of Inductance Mutual Inductance When two coils are brought near together, the magnetic field in one of the coils directs to connect with the other coil, according to the
 definition of mutual induction. This leads to voltage and current values in the second coil. A mutual inductance or alters the voltage and current values in the other coil. Leakage and stray inductance are two negative consequences of mutual inductance. Through the process of electromagnetic
  induction, when they are released from one coil, they alter the functionality of another element. It has a fairly simple theory that may be grasped by employing two or more coils. In the 18th century, an American scientist named Joseph Henry characterized it. One of the qualities of the coil or conductor utilized in the circuit is this. If the current in one
 coil fluctuates with time, the EMF will induce in another coil, according to the property inductance. The transformer, for example of mutual inductance is that leakage of one coil's inductance in another coil using electromagnetic induction to be
 disrupted. Electrical screening is essential to reduce leakage. Mutual Inductance Formula The formula of two coils is given as M = \frac{0}{N_{1}N_{2}A} where 0 = permeability of free space 0 = 410-2 = permeability of the soft iron coreN1 = turns of coil 1N2 = turns of coil 2A = cross-sectional area in m2L = length of the coil in meters The
 unit of mutual inductance is kg. m2.s-2.A-2The amount of inductance produces the voltage of one volt due to the rate of change of current of 1 Ampere/second. Joseph Henry, a scientist from the United States, coined the term to describe the phenomenon of two coils. Mutual inductance is kg. m2.s-2.A-2The amount of inductance produces the voltage of one volt due to the rate of change of current of 1 Ampere/second. Joseph Henry, a scientist from the United States, coined the term to describe the phenomenon of two coils.
 transformers. Any electrical device having components that tend to interact with another magnetic field also follows the same principle. The interaction is usually brought about by a mutual induction where the current flowing in one coil generates a voltage in a secondary coil. Download Complete Chapter Notes of Electromagnetic Induction Download Complete Chapter Notes Induction Download Complete
  NowTable of Contents What Is Mutual Inductance?When two coils are brought in proximity to each other, the magnetic field in one of the coils tends to link with the other. This further leads to the generation of voltage in the second coil. This property of a coil which affects or changes the current and voltage in a secondary coil is called mutual
  inductance. Changing I1 produces changing magnetic flux in coil 2.In the first coil of N1 turns, when a current I1 passes through it, magnetic field B is produced. As the two coils are closer to each other, a few magnetic flux in one turn of coil 2 due to
  current \ L_1.\end{array} \ l_{(\cording to Faradays law) (\cording to F
 \{21\}\}=-\{\{N\}_{2}\}\ (\overline{B}.\\overline{B}.\\overline{A} \right)\ (\left(\overline{B}.\\overline{A} \right)\end{\array}\}\$ (\I)_{21}\$ (\I)_{2
  \)The constant of proportionality is called mutual inductance. It can be written as\(\begin{array}{1}{{M} {21}}=\frac{({N} {21}}{{{M} {21}}}{{M} {21}}}{{I} {1}}}.1\]
  I2, can produce an induced emf in coil 1 when I2 varies with respect to time. Then,\(\begin{array}{1}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi}_{1}}}{{\phi
  (\begin{array}{1}{{M} {12}}=\frac{{{N} {1}}}{{{I}}}{{I} {2}}}. (4)\end{array} \) This constant of proportionality is another mutual inductance. Changing I2 produces changing I2 produces changing magnetic flux in coil 1. Reciprocity TheoremExperiments and calculations that combine Amperes law and Biot-Savarts law confirm that the two constants, M21
 and M12, are equal in the absence of material medium between the two coils.M12 = M21 (5)This property is called reciprocity, and by using the reciprocity, theorem, we can simply write the mutual inductance between two coils as,\(\begin{array}\left\{\text\{M}\}_{\text\{M}\}_{\text\{M}\}_{\text\{M}\}_{\text\{M}\}.
 Inductance Considering the mutual inductance between the two coils we just discussed, we defined mutual inductance M21 of coil 2 with respect to 1 as, (\begin{array}{l}{{I}_{1}}}\end{array}{l}{{I}_{1}}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{1}}{\{I}_{
  \{1\} \left\{\mathbb{M}_{21}}\frac{d{{\phi}_{21}}}{frac}d{{\phi}_{21}}}{dt}={N}_{2}}\frac{d{{\phi}_{21}}}{dt}={N}_{2}}\frac{d{{\phi}_{21}}}{dt}={N}_{2}}
  (\begin{array}{1}_{{\varepsilon }_{2}}=-{\{M\}_{21}}_{frac}(d_{I}_{1})}{dt}.(0)\end{array} ()Similarly, induced emf in coil 1 due to changing current in coil 2 can be given as, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = MTherefore, (\begin{array} \)From experiments (equation (5), M21 = M12 = M1
  \{\{varepsilon \}_{1}\}=-M\{rac\{d\{\{I\}_{2}\}\}\{dt\},\,\,\,\{\{varepsilon \}_{1}\}=-M\{rac\{d\{\{I\}_{1}\}\}\{dt\},\,\,\,\,\{\{varepsilon \}_{1}\}\}=-M\{rac\{d\{\{I\}_{1}\}\}\{dt\},\,\,\,\,\,\{\{varepsilon \}_{1}\}\}
  permeability of the medium surrounding the coils. Also Read: Electromagnetic Induction How to Find Mutual Inductance? Steps to find mutual inductance (M). (i) Deduce the expression for the magnetic field in the neighbouring coil (2) due to I1. (iii) Write the flux linkage equation. (\begin{array}{l} array}{l}
  \{\{N\}_{2}\}=M\{\{I\}_{1}\}..(9)\in \{array\}\} \right)...\{\{A\}_{2}\}\in \{A\}_{1}\}..
  circular coils. Consider two circular coils (closely packed) coaxially placed to each other. The coil with a larger radius has N1 turns, and that with a smaller radius has N2 turns. Also, assume that R1>> R2. The above-mentioned calculation is the same for the following case as well. Mutual inductance of two concentric coplanar loops. Mutual induction
  between two solenoids. Mutual Inductance of a Coaxial Solenoid S1 has radius r1 and N1 turns. Both the solenoid S2 has radius r2, and N2 turns, whereas the inner solenoid S2, the magnetic induction due to I2 is given by,\
  \  \{1\}_{B}_{2}={\{\mu \}_{1}}_{\{1\}_{2}}={\{\mu \}_{1}}_{\{1\}_{2}}={\{\mu \}_{1}}_{\{1\}_{2}}={\{\mu \}_{1}}_{\{1\}}_{\{\mu \}_{2}}.
     \{0\} \frac \{\{N}_{2}\}\{I}_{1}\{I}_{2}\}.\\pi r_{1}^{2}\.\\pi r_{1}^{2}\.\\pi r_{1}^{2}\.\\pi \.\r_{1}^{2}\{I}\.\\pi r_{1}^{2}\.\\pi \.\\r_{1}^{2}\.\\pi \.\\pi \.\\r_{1}^{2}\.\\pi \\rangle \\rangle
  through S1, then the magnetic flux linked in S2 is given by,\(\begin{array}{1}{{N} {2}}{{Nhi} {21}}={{M} {21}}={{M} {21}}{{I} {1}}.(13)\
   (\begin{array}\{l\}_{N}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{\{\bhi}_{2}\}_{
    \{\{0\}\} (N) \{\{1\}\} (N) \{1\}) \{\{1\}\} (N) \{1\}) \{\{1\}\} (N) \{1\}) \{1\} (Solution: (i) Assume current I1 in the solenoid. The magnetic magnetic
  field B at its centre is given by\(\begin{array}{l}B={{\mu}_{0}}\\n_{1}}}{{\phi}_{2}}{{\phi}_{2}}{{\phi}_{2}}\left(B.\,A \right)\end{array} \) \(\begin{array}{l}{{\N}_{2}}{{\phi}_{2}}}{{\phi}}_{2}}}
  \{21\}=\{\{N\}_{2}\},\{\{mu\}_{0}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}\},\{\{n\}_{1}
  inductance is followed in various electronic devices. Some of them are as follows:Motors Note the inductors (Lf and La) in the dc motor circuit that are mutually inducted. Transformer Also Read: Transformer
  When an electrical component (coil) is interacting or being influenced by the magnetic field in the neighbouring component, mutual inductance arises. The current flowing in one coil induces an emf in the neighbouring component, mutual inductance will
  be(a) maximum in the situation (C)(b) maximum in the situation (B)(c) maximum in the situation (A)(d) Same in all situations of the maximum in the situation, the maximum when maximum in the situation (B)(c) maximum in the 
 to each other. Hence, more flux will be linked. Therefore, the mutual inductance will be larger. Two coaxial coils are very close to each other, and their mutual inductance is 5 mH. If a current (50 A) sin 500 t is passed in one of the coils, then find the peak value of induced emf in the secondary coil. (a) 50V (b) 500V (c) 125V (d) 250VSolution: Given:
  (\bar{d}_{array}_{l}i=50)\ in 500t\end{array} \) \(\begin{array}_{l}=-5\times {\{10}^{-3}}\times 50\cos 500t\times 50\co
  {1}\varepsilon =-125\cos 500t\end{array} \)The peak value is 125V. Option c is correct. As the coil is stationary in a uniform magnetic field, there is no induced emf in the coil. We know that the mutual inductance is directly proportional to the permeability of the medium surrounding the coils
  When the permeability of the medium is increased by inserting a sheet of iron, then the mutual inductance between the coils also increases. As we know that acceleration due to gravity does not depend on the mass of the falling objects, the glass ball will reach the ground first. Because, being an insulator, glass is not affected by the earths magnetic
  field. Hence, there is no induced emf in the glass ball. Whereas in a copper ball, emf induced by the earths magnetic field will affect the fall of the ball. Thus, it falls slower. Mutual inductance between the two coils pace between the following: Area of cross-section Number of turns in each coil Space between the fall of the ball. Thus, it falls slower. Mutual inductance between the following: Area of cross-section Number of turns in each coil Space between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the fall of the ball. Thus, it falls slower. Mutual inductance between the fall of the fall 
 two coilsLength (in the case of the solenoid)When the secondary coil decreases. When the rease in the number of turns of each coil, mutual inductance increases. Mutual inductance can be used in
 transformers, generators and electric motors. Put your understanding of this concept to test by answering a few MCQs. Click Start Quiz to begin! Select the correct answer and click on the Finish buttonCheck your score and answers at the end of the quiz Visit BYJUS for all JEE related queries and study materials 0 out of 0 arewrong 0 out of 0 are
 correct 0 out of 0 are Unattempted View Quiz Answers and Analysis Mutual inductance is the main operating principle of generators, motors and transformers. Any electrical device having components that tend to interact with another magnetic field also follows the same principle. The interaction is usually brought about by a mutual induction where
  the current flowing in one coil generates a voltage in a secondary coil. Download Complete Chapter Notes of Electromagnetic Induction Download NowTable of Contents What Is Mutual Inductance? When two coils are brought in proximity to each other, the magnetic field in one of the coils tends to link with the other. This further leads to the
   generation of voltage in the second coil. This property of a coil which affects or changes the current and voltage in a secondary coil is called mutual inductance. Changing I1 produces changing magnetic flux in coil 2.In the first coil of N1 turns, when a current I1 passes through it, magnetic field B is produced. As the two coils are closer to each other
 a few magnetic field lines will also pass through coil 2.\(\begin{array}{1}{{\phi } {21}}\to\ \text{magnetic flux in one turn of coil 2 due to current}\ I_1.\end{array} \) If we vary the current with respect to time, then there will be an induced emf in coil 2.\(\begin{array}{1}{{\phi } }=-\frac{d\phi }{dt}\end{array} \) [According to
 Faradays law] \(\begin{array}{1}{=-{{N}_{2}}}frac{d}{dt}\left(\overline{B}.\,\overline{A} \right)\left(\overline{B}.\,\overline{A} \right)\left(\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\,\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\\overline{B}.\overline{B}.\overline{B}.\overline
  \{N\} \{2\}\ \{n\} \{21\}\ \{n\} \{21\} \{n\} \{
 inductance is henry (H)\(\begin{array}{1}1H=\frac{1(\text{Tesla}).1\left( {{m}^{2}} \right)}{1\,\,A}\end{array} \) In a similar manner, the current in coil 2, I2, can produce an induced emf in coil 1 when I2 varies with respect to time. Then,\(\begin{array}{1}{{\varepsilon }_{12}}=-{{N}_{1}}\frac{d{{\phi }_{12}}}{dt}\end{array} \) \
 \begin{array}{l}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}}{\{N\}_{1}\}{\{N\}_{1}\}}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{1}\}{\{N\}_{
changing magnetic flux in coil 1. Reciprocity TheoremExperiments and calculations that combine Amperes law and Biot-Savarts law confirm that the two coils. M12 = M21 (5)This property is called reciprocity, and by using the reciprocity theorem, we can simply
write the mutual inductance between two coils as,\(\begin{array}{1}{\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_{12}}\\text{M}}_
 induction,\(\begin{array}{1}{{\varepsilon }_{ind}}=-{frac}d\phi }{dt}.(7)\end{array} \)Thus, induced emf in coil 2 due to the current in coil 2 due to the current in coil 2 can be given as,\(\begin{array}{1}},\frac{d}{I]_{1}}}{frac}d\{I]_{1}}}{frac}d\{I]_{1}}
 \{\{\|\{I\}_{1}\}\} \{dt\}, \|\{I\}_{1}\}\} \{dt\}, \|\{I\}_{1}\} \{dt\}, \|\{I\}_{1}\}\} \{dt\}, \|\{I\}_{1}\}\} \{dt\}, \|\{I\}_{1}\}\} \{dt\}, \|\{I\}_{1}\} \{dt\}, \|\{I\}_{1}\}\} \{dt\}, \|\{I\}_{1}\} \{dt\}, \|\{I\}_
  geometrical factor of the two coils, such as the number of turns and radii of two coils and on the properties of a material medium, such as the magnetic Induction How to Find Mutual Inductance (M).(i) Assume current in one of the coils (say
I1 in coil 1)(ii) Deduce the expression for the magnetic field in the neighbouring coil (2) due to I1.(iii) Write the flux linkage equation.\(\begin{array}{1}{{N} {2}}\left({{\phi} {2}}\left({
\right)..(10)\end{array} \)(v) Compare the above two equations and find mutual inductance, M.Mutual inductance Problems(1) Mutual inductance Problems(1) Mut
R1>> R2. The above-mentioned calculation is the same for the following case as well. Mutual inductance of a Coaxial Solenoid S2 has radius r2, and N2 turns, whereas the inner solenoid S1 has
radius r1 and N1 turns. Both the solenoids are of equal length. When there is a current I2 in the solenoid S2, the magnetic induction due to I2 is given by,\(\begin{array}\1\{\{I\} \{2\}\}=\{\mu\} \{0\}\{\frac{\{N\} \{2\}\}\{\I\} \{2\}\}=\{\mu\} \{\I\} \{\I\} \{\I\} \{2\}\}.
  \{l\}_{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_{1}\}_{\{\{N\}_
(\begin{array}{\l}{{\M}_{12}}={\frac{{\mu}_{0}}{{\N}_{1}}}{{\N}_{2}}{\phi}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{1}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{2}}{{\mu}_{0}}{{\N}_{2}}{{\mu}_{0}}{{\mu}_{0}}{{\M}_{2}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}_{0}}{{\mu}
\{\{N\}_{1}\}\{l\}, \{\{I\}_{1}\}, \{\{I\}_{1}\}\}, \{\{I\}_{1}\}, \{\{I\}_{1}\}, \{\{I\}_{1}\}\}, \{\{I\}_{1}\}, \{\{I\}_{1}\}\}, \{\{I\}_{1}\}\}
 {1}M={{\mu}_{0}}\frac{{{\N}_{1}}}{{1}}}{{N}_{2}}}{1}A\end{array} \)Applications of Mutual Inductance is follows: Motors Note the inductors (Lf and La) in the dc motor circuit that are mutually inducted. Transformer Also Read: Transformer Generators The
 induced EMG in a generator by electromagnetic induction is shown below. The direction of induced emf is given by Lenz law. When an electrical component (coil) is interacting or being influenced by the magnetic field in the neighbouring
coil.Solved Problems:1. Two circular coils can be arranged in any of the three situations (B)(c) maximum in the situation (B)(d) Same in all situations (C)(b) maximum in the situation (B)(d) maximum in the situation (B)(d)
through the other. In such a situation, the magnetic flux linked will be maximum. Therefore, in situation A, both coils are parallel to each other, and their mutual inductance is 5 mH. If a current (50 A) sin 500 t is passed in
one of the coils, then find the peak value of induced emf in the secondary coil.(a) 50V (b) 500V (c) 125V (d) 250VSolution: Given: \(\begin{array}{1}=-\left(5\times {10}^{-3}} \right)\\frac{d}{dt}\\left(5\times {10}^{-3}} \right)\\frac{d}{dt}\\left(5)\times {10}^{-3}} \right)\\frac{d}{dt}\\right(5)\times {10}^{-3}} \right)\\frac{d}{dt}\\right(5)\times {10}^{-3}} \right)\\frac{d}{dt}\\right(5)\times {10}^{-3}} \right(5)\times {10}^{-3}} \right(5)\time
50\sin 500t \right)\end{array} \) \(\begin{array}{l}=-5\times {\10}^{-3}}\times 50\cos 500t\times 50\c
emf in the coil. We know that the mutual inductance is directly proportional to the permeability of the medium is increased by inserting a sheet of iron, then the mutual inductance between the coils. When the permeability of the medium is increased by inserting a sheet of iron, then the mutual inductance between the coils.
the falling objects, the glass ball will reach the ground first. Because, being an insulator, glass is not affected by the earths magnetic field. Hence, there is no induced emf in the glass ball. Whereas in a copper ball, emf induced by the earths magnetic field will affect the fall of the ball. Thus, it falls slower. Mutual inductance between two coils is
affected by the following: Area of cross-section Number of turns in each coilSpace between the two coils Permeability of medium between the coils is increased, the magnetic flux linked with the secondary coil decreases. Therefore, the mutual inductance of the pair of coils
decreases. When there is an increase in the number of turns of each coil, mutual inductance can be used in transformers, generators and electric motors. Put your understanding of this concept to test by answering a few MCQs. Click Start Quiz to begin! Select the correct answer and click on the Finish button Check your
score and answers at the end of the quiz Visit BYJUS for all JEE related queries and study materials 0 out of 0 are correct 0 out of 0 ar
secondary), there is said to mutual induction. If I2 is the current flowing in the secondary coil, the flux linkages with the primary with respect to the secondary coil is the mutual induction. Similarly, if I1 is
the current flowing in the primary coil, the flux linkages with the secondary coilis proportional to the current in the primary coil. That is, where M21 is the mutual inductance of two circular co-axial concentric coils: Let r1 and
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